



### **Glacial Cycles**

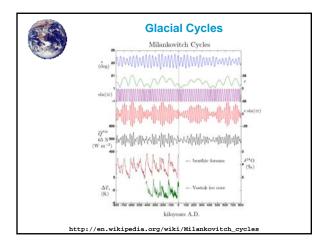
#### What Causes Glacial Cycles?

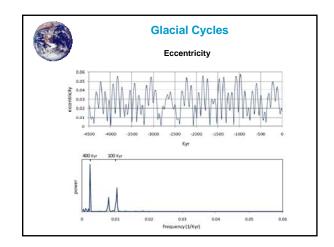
#### Widely Accepted Hypothesis

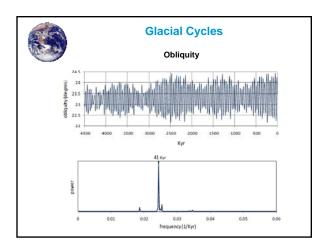
The glacial cycles are driven by the variations in the Earth's orbit (Milankovitch Cycles), causing a variation in incoming solar radiation (insolation).

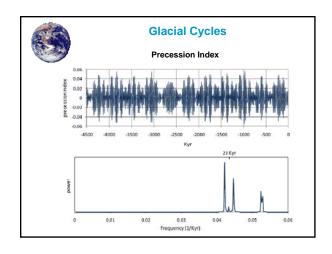
This hypothesis is widely accepted, but also widely regarded as insufficient to explain the observations.

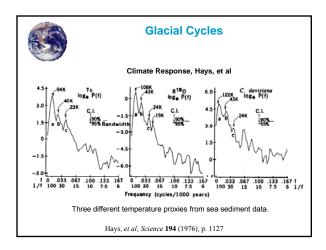
The additional hypothesis is that there are feedback mechanisms that amplify the Milankovitch cycles. What these feedbacks are and how they work is not fully understood.

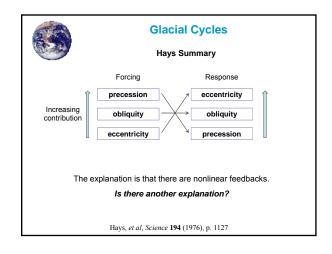


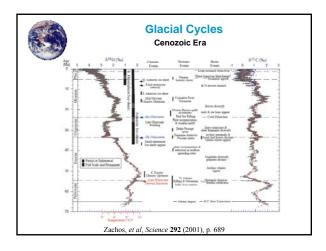


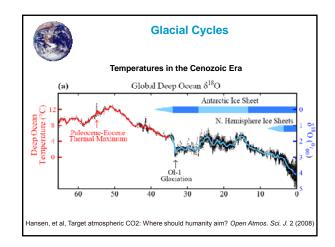


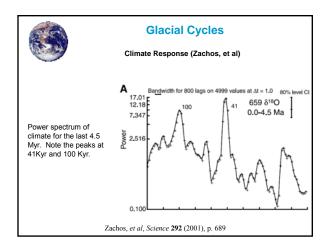


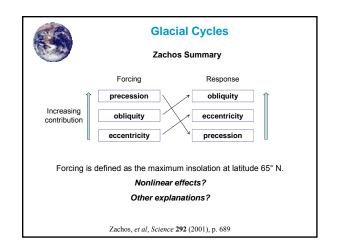


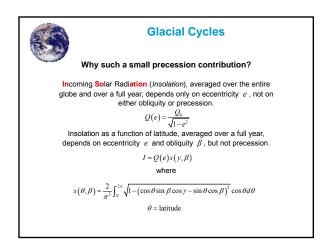


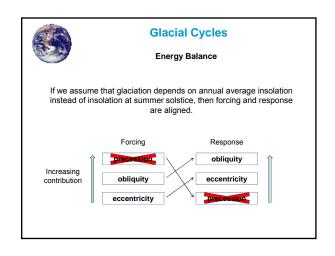


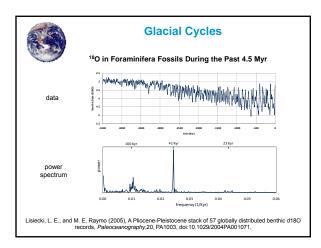


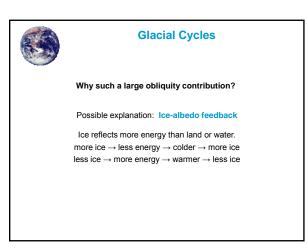


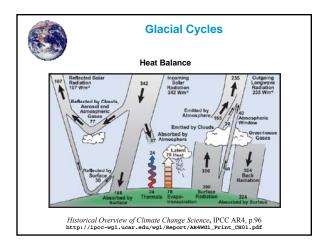


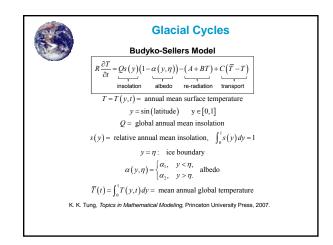


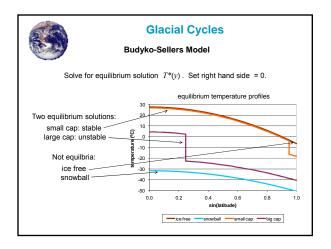














## **Glacial Cycles**

Budyko-Sellers Model

# $R\frac{\partial T}{\partial t} = Qs(y)(1-\alpha(y,\eta)) - (A+BT) + C(\overline{T}-T)$

Note that the equilibrium solution  $T^*(y)$  depends on Q and s(y), which depend on the eccentricity e and the obliquity  $\beta$ . Therefore, the equilibrium location  $\eta$  of the ice boundary and the equilibrium global mean temperature (GMT) depend on the eccentricity and the obliquity.

We can use the computed values of eccentricity and obliquity to compute the ice boundary and GMT over the glacial cycles.

$$Q(e) = \frac{Q_0}{\sqrt{1 - e^2}}$$
$$s(y, \beta) = \frac{2}{\pi^2} \int_0^{2\pi} \sqrt{1 - \left(\sqrt{1 - y^2} \sin\beta \cos\gamma - y \cos\beta\right)^2} d\gamma$$

